

A Concept Design of Novel Dyson-Harrop CubeSat for Harvesting Energy from Solar Wind

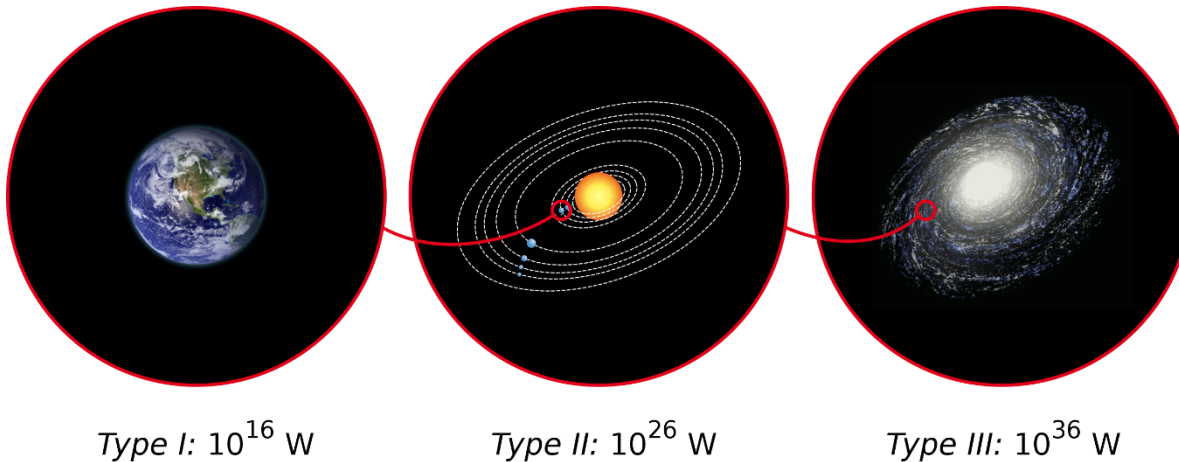
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Background of Solar Power

■ Kardashev scale

- **Type I civilization** (10^{16} W): Capable of accessing all the energy available on its planet and storing it for consumption.
- **Type II civilization** (10^{26} W): Can directly consume a star's energy, possibly using a Dyson sphere.
- **Type III civilization** (10^{36} W): Can capture all energy emitted by its galaxy, including from stars and black holes.
- Type 0.7 civilization approximately 2×10^{13}



■ Energy from Sun

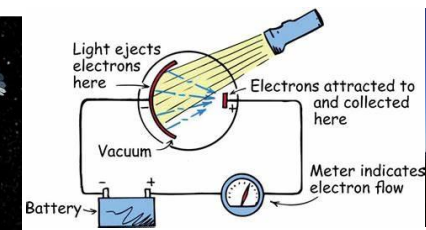
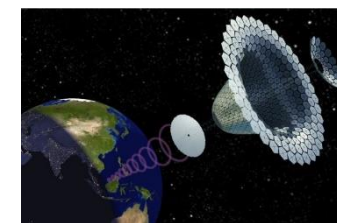
□ Solar wind

electrons, protons and alpha particles

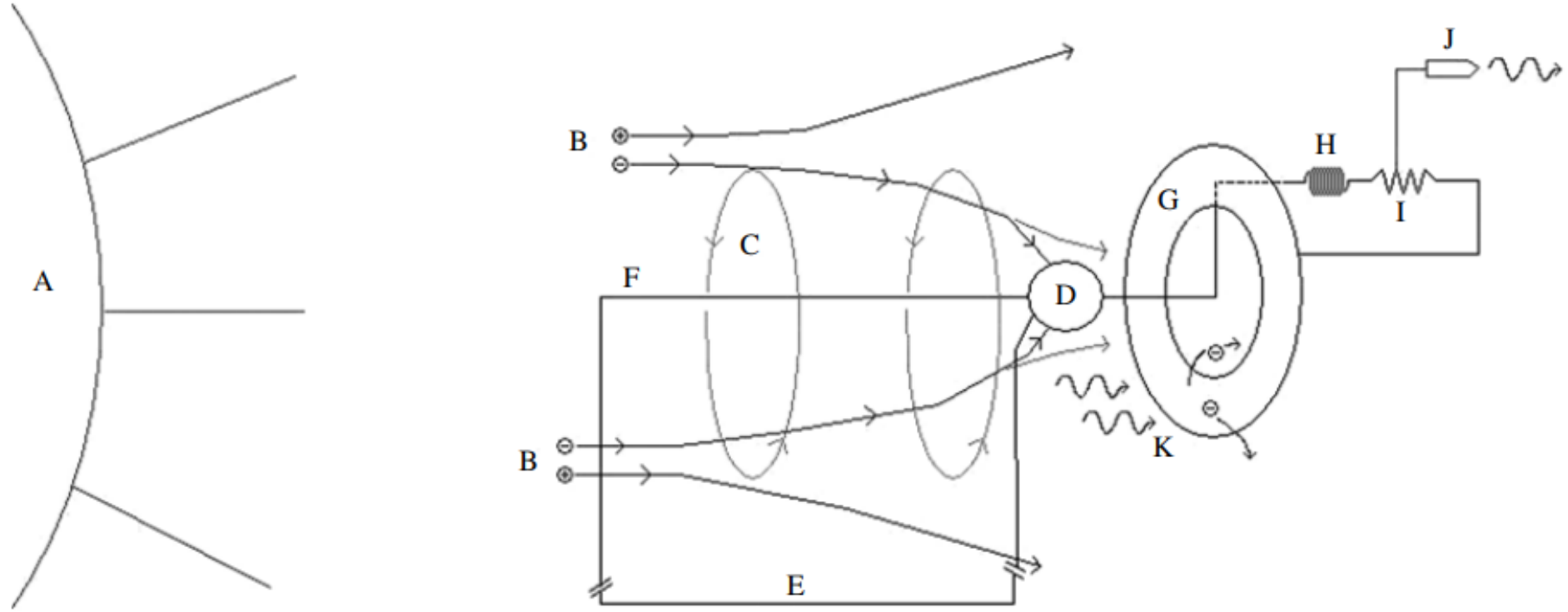
- photovoltaic effect (semiconductor)
- photoelectric effect (metal)

□ Solar thermal energy

- Solar thermal collectors



Dyson-Harrop Satellite

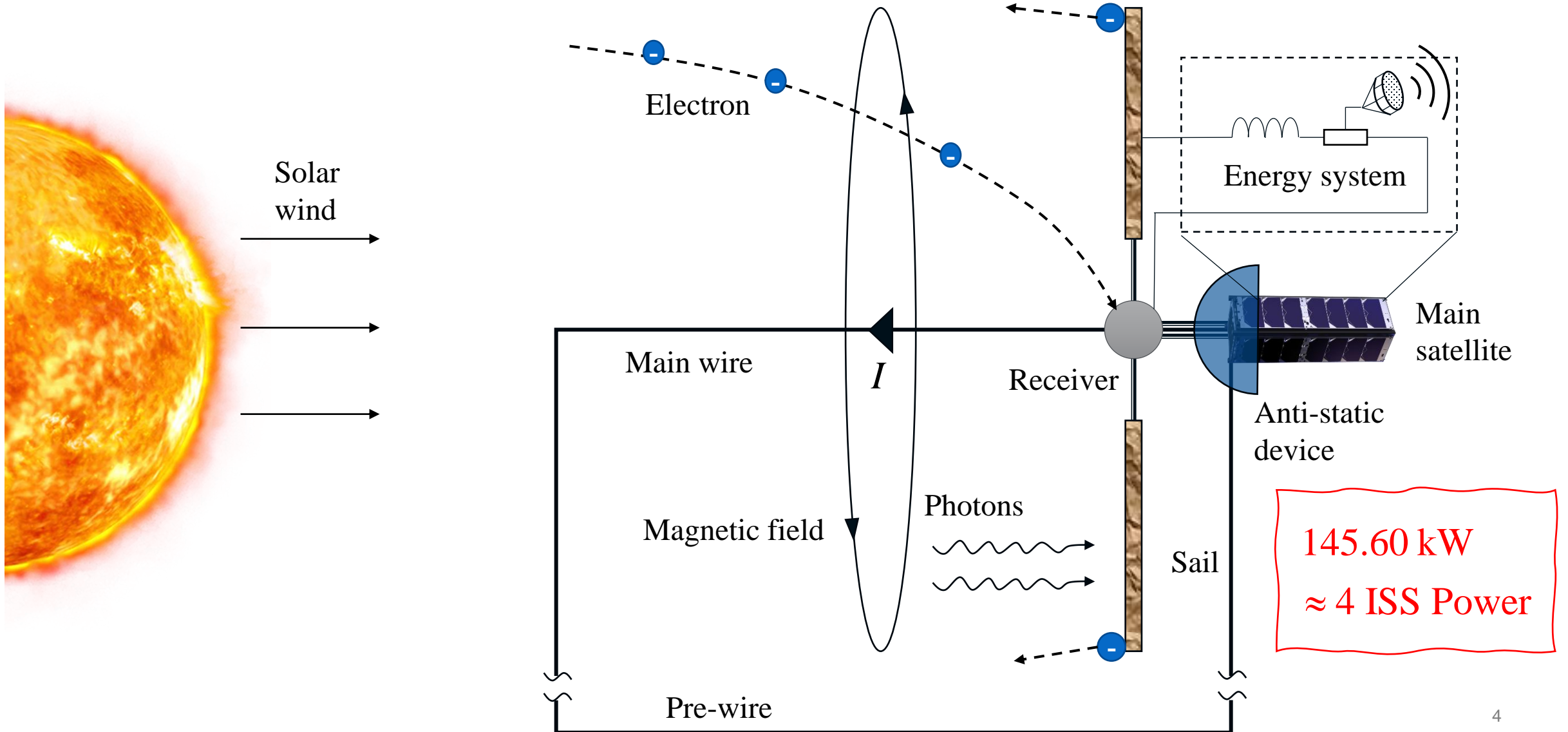
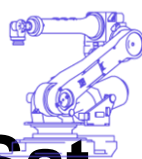


■ Areas for improvement:

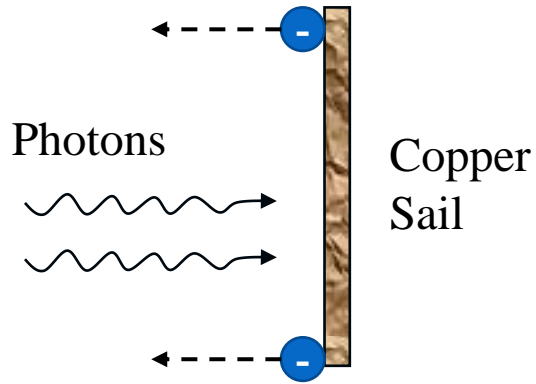
- The size is too large, making it difficult to deploy;
- The issue of attitude control has not been considered;
- The energy transfer system has not been considered.

[1] Harrop, B. L., and Schulze-Makuch, D. "The Solar Wind Power Satellite as an alternative to a traditional Dyson Sphere and its implications for remote detection," International Journal of Astrobiology Vol. 9, No. 2, 2010, pp. 89-99.

Solar Wind Power (SWP) CubeSat



Photoelectric Effect



Kinetic energy of the photoelectron

$$E_{\text{electron}} = E_{\text{photon}} - \Phi = \frac{1}{2} m_e v_e^2$$

where, kinetic energy of the photon

$$E_{\text{photon}} = h\nu$$

work function of copper

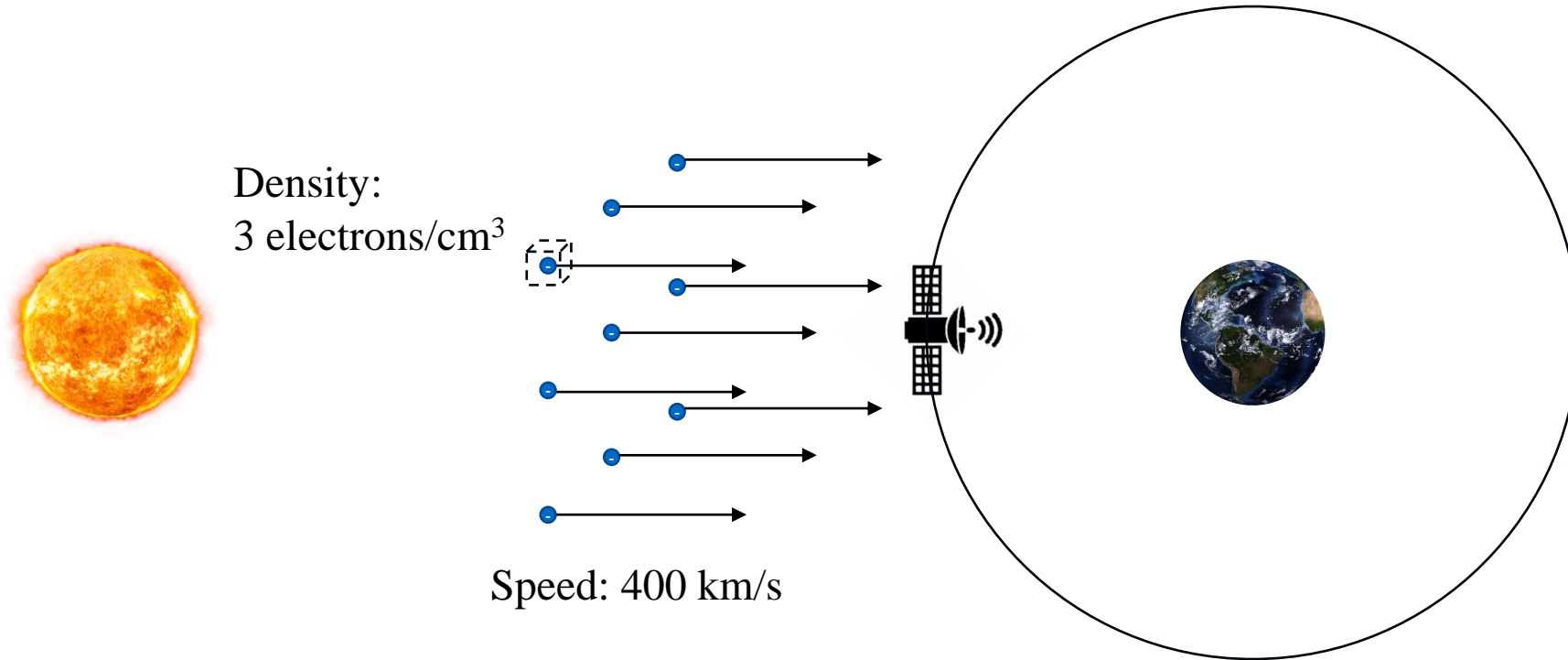
$$\Phi_{\text{copper}} = 7.53 \times 10^{-19} \text{ J}$$

Planck constant

$$h = 6.626 \times 10^{-34} \text{ J} \cdot \text{s}$$

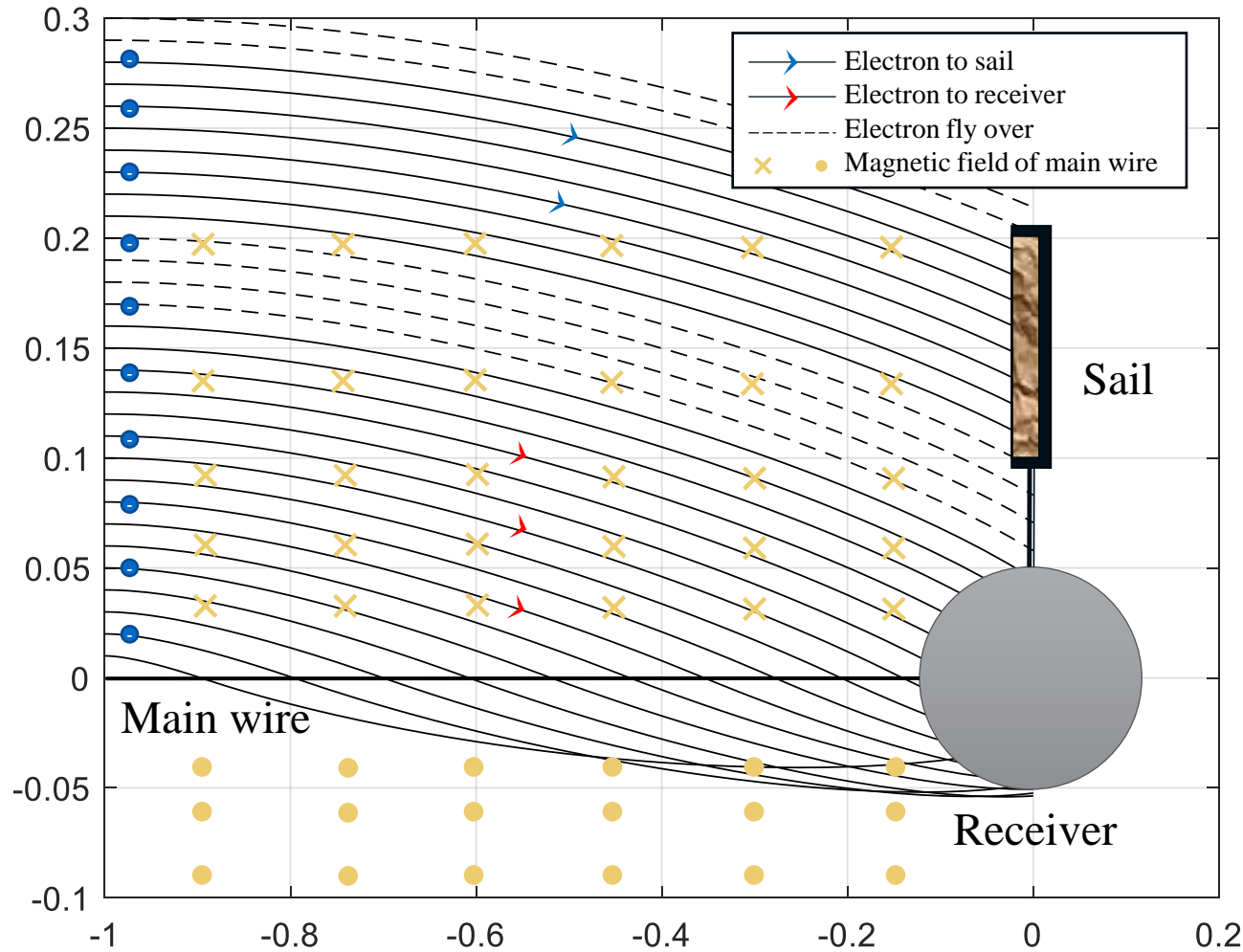
| | |
|--------------|-----------------------|
| inner radius | $r_1 = 0.1 \text{ m}$ |
| outer radius | $r_2 = 0.2 \text{ m}$ |
| thickness | $\tau = 1 \text{ mm}$ |

Solar Wind



Assumption 1: The speed of the plasma around SWP CubeSat is 400 km/s, with a density of 3 electrons per cubic centimeter. These free electrons are flying in parallel from the Sun towards the Earth.

Electrons in Solar Wind



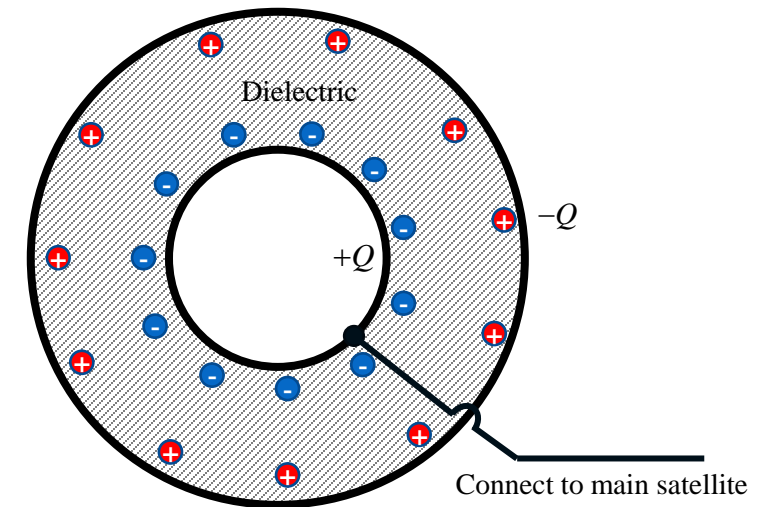
Assumption 2:

The magnetic field around the sail is only affected by the current in the main wire, ignoring the further pre-wire.

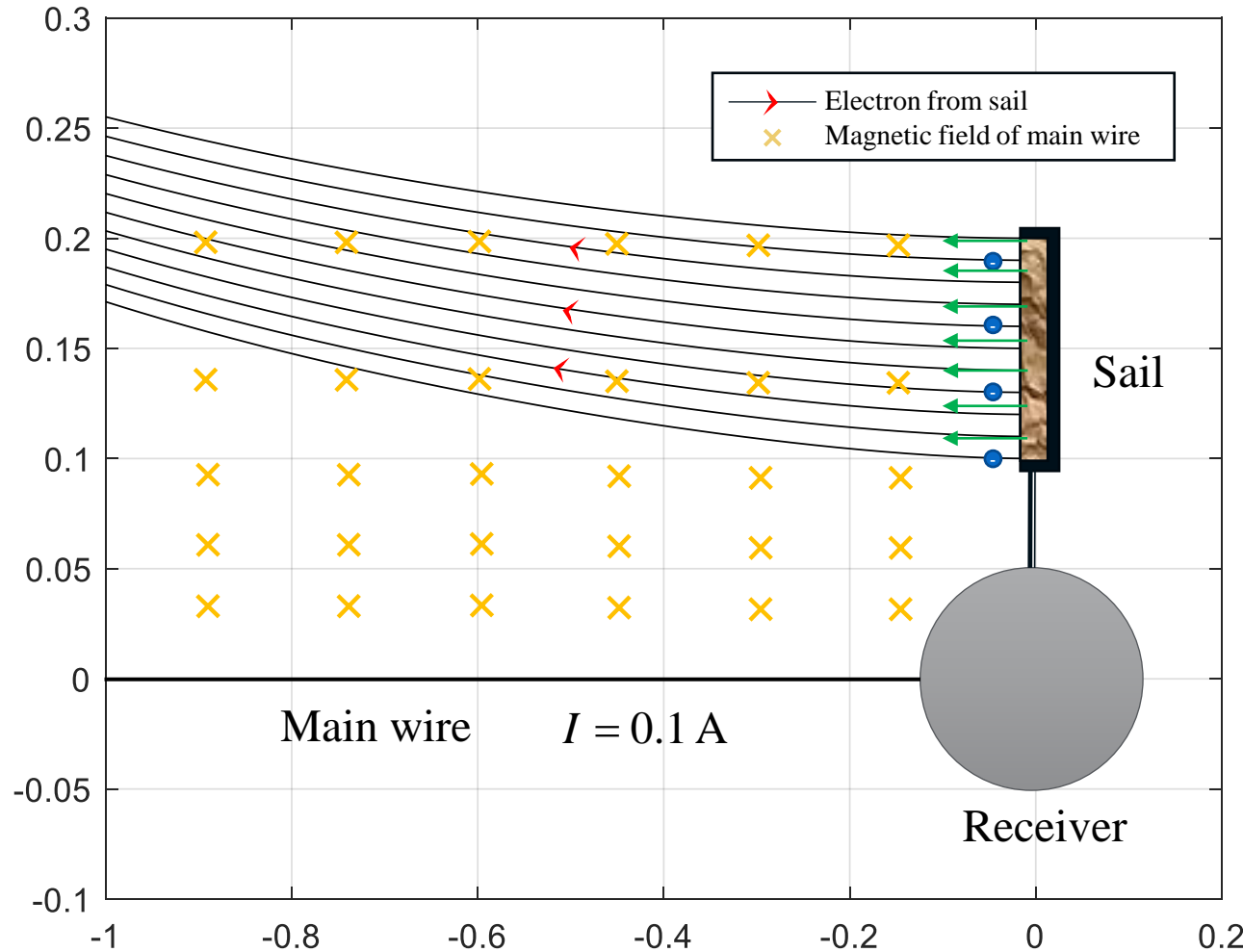
Assumption 3:

Solar wind particles hitting the sail maintain charge balance.

■ The capacitor-style receiver



The Trajectory of Electrons

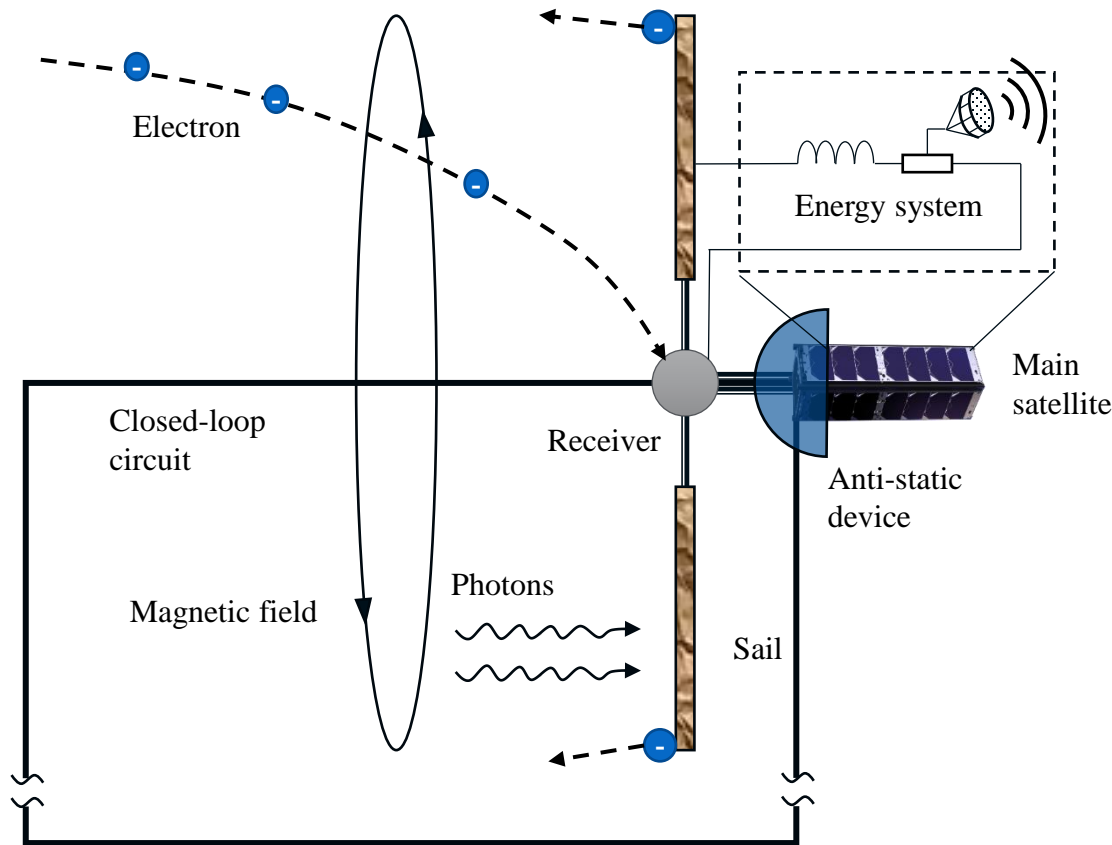


Assumption 4:

The back of the copper sail is wrapped with a high permeability material, and the electric field on the back side is shielded, so only the front side has an electric field perpendicular to the sail.

$$\begin{cases}
 v_0 = \sqrt{2(hv - \Phi) / m_e} \approx 7.2723 \times 10^5 \text{ m/s} \\
 d = \frac{1}{2} (F_B / m_e) t^2 = qv_0 \mu_0 I t^2 / 2\pi m_e (r_2 - d) \\
 t^2 = (v_0 m_e / qV_{\max}) = m_e v_0 (r_{\min} / kQ_{\max} q) \\
 = m_e v_0 \left(r_{\min} / kq\pi\rho_{\text{Cu}}\tau (r_2^2 - (r_2 - d)^2) \right)
 \end{cases}$$

Energy system



The escapable edge width $d \approx 1.8555 \times 10^{-8} \text{ m}$

$$V_{sail} = kQ_{\max} / r_1 \approx 2.85 \times 10^{10} \text{ V}$$

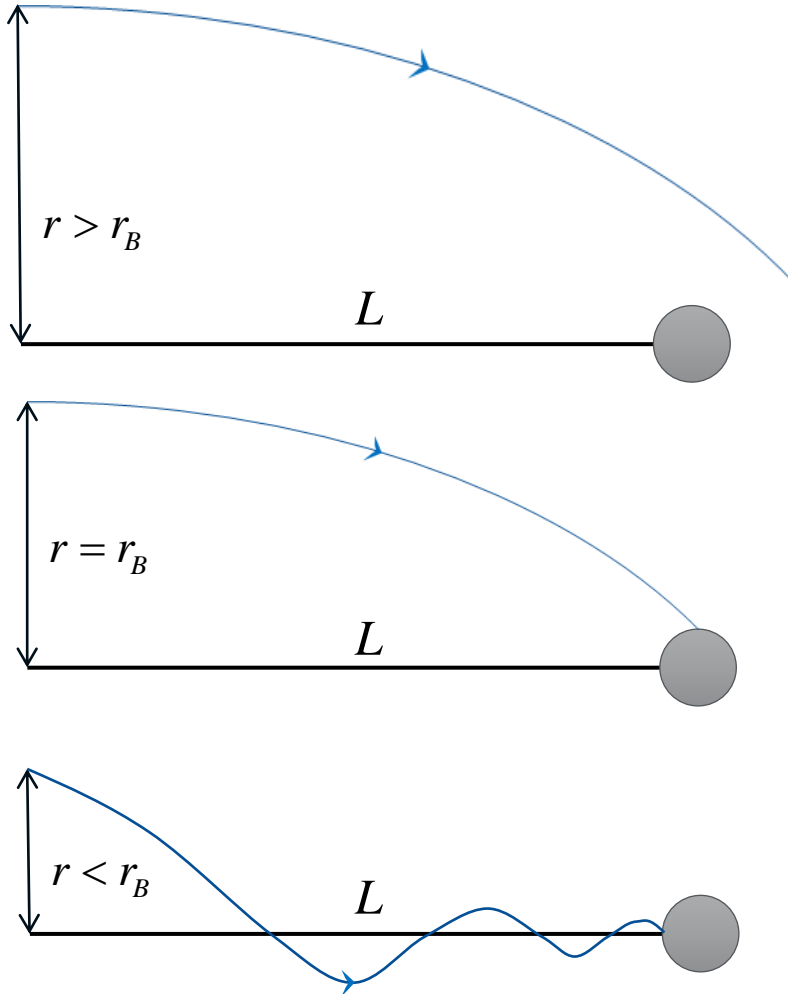
$$V_{\text{receiver}} = -1.6 \text{ V}$$

The current of the sail-receiver circuit depends on number of photons hitting the sail within one second

$$N_{\text{photon}} = \frac{I_{\text{light}}}{h\nu} \pi (2r_2 d - d^2) \approx 3.19 \times 10^{13}$$

$$I_{\text{sail-receiver}} = N_{\text{photon}} q = N_{\text{electron}} q \approx 5.19 \times 10^{-6} \text{ A}$$

Closed-loop circuit



■ Attractable electron radius:

$$N_{electron} = N_{photon} \approx 3.19 \times 10^{13}$$

$$r_B > \sqrt{\frac{N_{electron}}{\pi v_e \rho_e}} \approx 2.9 \text{ m}$$

■ Main wire length:

$$B = \frac{\mu_0 I}{2\pi r} \quad I = 0.1 \text{ A} \quad L > 40 \text{ m}$$

The joule-heating resistance is

$$R = \rho_R \cdot l \cdot C \cdot T / A \approx 9.8 \times 10^{-3} \Omega$$

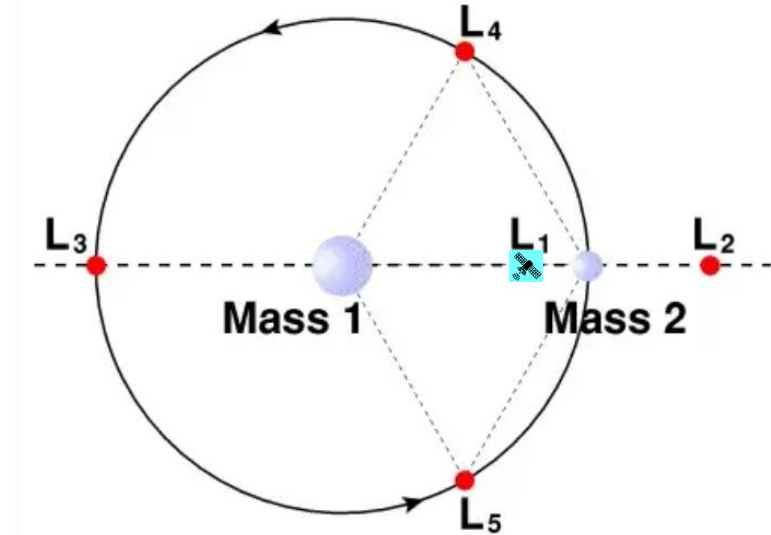
Economic Analysis

■ The total energy

$$P_{Cube} = (V_{sail} - V_{receiver}) I_{sail-receiver} - I^2 R \approx 145.60 \text{ kW}$$

$$E_{Cube} = T_{Cube} P_{Cube} \approx 1.28 \times 10^7 \text{ kWh}$$

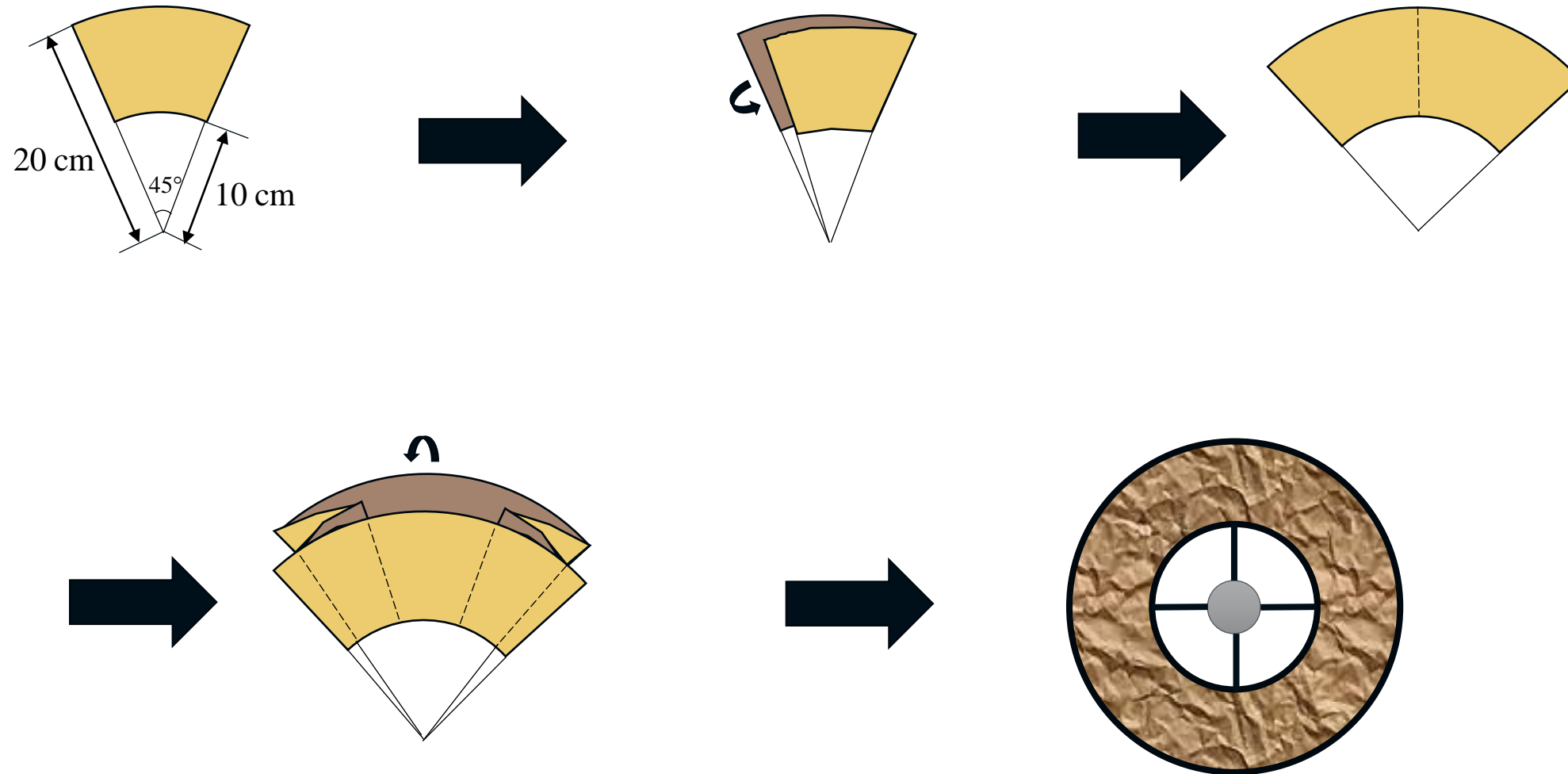
$$LCOE_{Cube} = \frac{E_{Cube}}{\$770,000} \approx \$0.06 / \text{kWh}$$



In a lifecycle of 10 years, the Levelized Cost of Electricity (LCOE) is **\$0.06/kWh**, which is competitive with ground electricity (\$0.05~0.50/kWh)

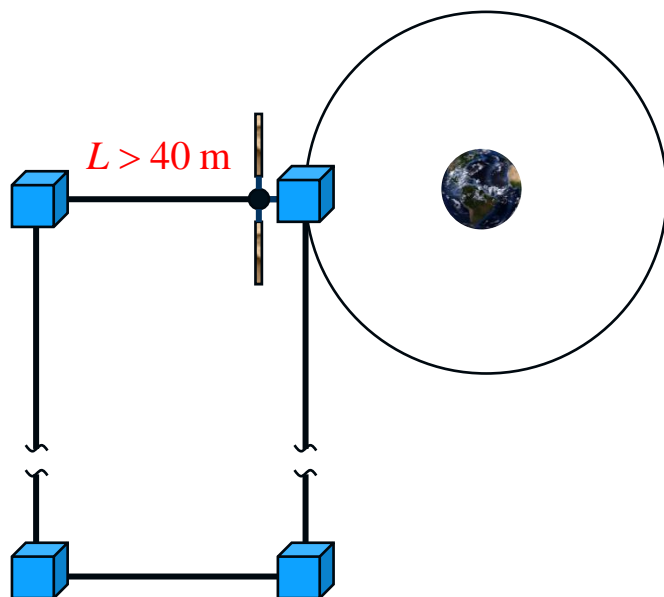
| Item | Unit price (US dollar) |
|-----------------------------|------------------------|
| The launch of a SWP CubeSat | 270,000 |
| The cost of a SWP CubeSat | 500,000 |

Sail deployment

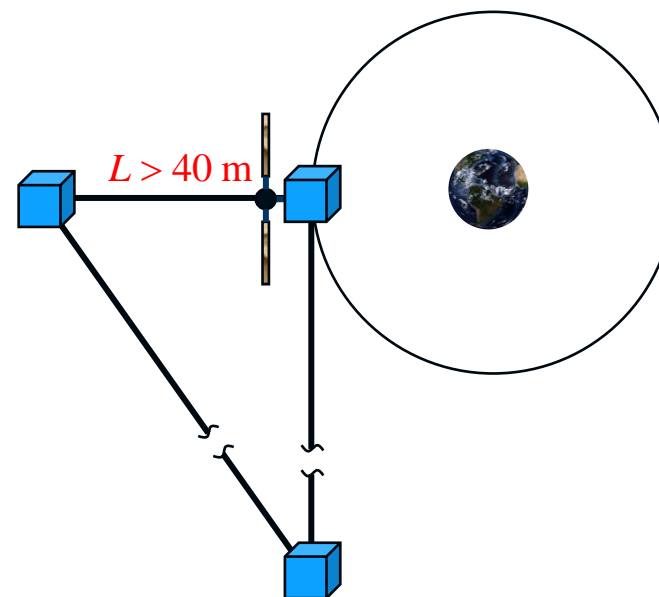


Closed-loop circuit deployment

■ Rectangular circuit



■ triangular circuit



- The electrodynamic tether is subject to a continuous Lorentz force.
- Need to maintain orientation, cannot use spin stabilization.

Conclusion

Future

A CubeSat is designed to harness the energy of solar wind

The total power (**145.6 kW**) is about equal to 4.5 ISS

Analyze its economic benefits, **LCOE=\$0.06/kWh**

Design the ring-like sail's deployment mechanism

The new challenges of the closed-loop circuit attitude control

Experimental validation

Dynamic analysis of system

Attitude controller design



THANKS FOR LISTENING

